Solution to Problem 1, Compound interest, (p.3). The basic relation is:

$$
\begin{equation*}
F=(1+i)^{N} P \tag{94}
\end{equation*}
$$

In our case, $i=0.12, N=6$ and $P=1,500$. Thus $F=\$ 2,960.73$.
Solution to Problem 2, Compound interest, (p.3). See table 4, which explains that:
$\$ 200$ interest is paid each year for years 1-4.
$\$ 100$ interest is paid each year for years 5-8.
$\$ 1,200$ is the total interest paid.

| Year | Amount owed <br> at beginning <br> of year | Interest <br> accrued <br> for year | Payment <br> at end <br> of year |
| ---: | ---: | ---: | ---: |
| 1 | 2,000 | 200 | 200 |
| 2 | 2,000 | 200 | 200 |
| 3 | 2,000 | 200 | 200 |
| 4 | 2,000 | 200 | 1,200 |
| 5 | 1,000 | 100 | 100 |
| 6 | 1,000 | 100 | 100 |
| 7 | 1,000 | 100 | 100 |
| 8 | 1,000 | 100 | 1,100 |
| Total: |  | 1,200 | 3,200 |

Table 4: Solution to problem 2.

Solution to Problem 3, Compound interest, (p.3). We can immediately obtain the answer from the following relation:

$$
\begin{equation*}
F=(1+i)^{N} P=1.1^{8} \times 2000=4287.17 \tag{95}
\end{equation*}
$$

However, it is interesting to compare the details of the result, in comparison to table 4 from problem 2. See table 5.

- 2nd column (amount owed at beginning of each year):

Compound interest on principal: row $n=1.1^{n-1} \times$ row 1 .

- 3rd column (interest accrued for year):

3 rd column $=0.1 \times 2$ nd column.

- Thus the total interest paid is $\$ 2,287.17$, which is much greater than in problem 2 because of (1) compounding (2) deferred repayment of all principal to year 8.

| Year | Amount owed <br> at beginning <br> of year | Interest <br> accrued <br> for year | Payment <br> at end <br> of year |
| ---: | ---: | ---: | ---: |
| 1 | 2,000 | 200 | 0 |
| 2 | 2,200 | 220 | 0 |
| 3 | 2,420 | 242 | 0 |
| 4 | 2,662 | 266.20 | 0 |
| 5 | $2,928.20$ | 292.82 | 0 |
| 6 | $3,221.02$ | 322.10 | 0 |
| 7 | $3,543.12$ | 354.31 | 0 |
| 8 | $3,897.43$ | 389.74 | $4,287.17$ |
| Total: |  | $2,287.17$ | $4,287.17$ |

Table 5: Solution to problem 3.
Solution to Problem 4, Equivalent annual payment, (p.3). The basic relation is:

$$
\begin{equation*}
A=\frac{i(1+i)^{N}}{(1+i)^{N}-1} P \tag{96}
\end{equation*}
$$

In our case: $i=0.1, N=5, P=20,000$. Thus:

$$
\begin{equation*}
A=0.263797 \times 20,000=\$ 5,275.95 \tag{97}
\end{equation*}
$$

Solution to Problem 5, Compound interest, (p.3). See table 6.

- 2nd column (amount owed at beginning of each year):

Remaining principal minus last year's payment of $\$ 4,000$.

- 3rd column (interest accrued for year):

3rd column $=0.1 \times 2$ nd column.

- Thus the total interest paid is $\$ 6,000$.
- The total payment in problem 4 is $5 \times 5,275.95=\$ 26,379.75$. Thus the interest paid in problem 4 is $\$ 6,379.75$.
- The interest paid in problem 4 is greater than in problem 5 because of repayment of principal during the loan in problem 5.

| Year | Amount owed <br> at beginning <br> of year | Interest <br> accrued <br> for year | Payment <br> at end <br> of year |
| ---: | ---: | ---: | ---: |
| 1 | 20,000 | 2,000 | 6,000 |
| 2 | 16,000 | 1,600 | 5,600 |
| 3 | 12,000 | 1,200 | 5,200 |
| 4 | 8,000 | 800 | 4,800 |
| 5 | 4,000 | 400 | 4,400 |
| Total: |  | 6,000 | 26,000 |

Table 6: Solution to problem 5.

